

## TEXNOАОГIKO EKПAIDEYTIKO IДPYMA КРНTHะ



ェXOAH $\triangle$ IOIKH工Hエ KAI OIKONOMIA
TMHMA EMПOPIAГ KAI $\operatorname{\Delta IAФHMI\Sigma H\Sigma ~}$

ENAAAAKTIKEE MOPФEट TOYPILMOY KAI ПPOOПTIKE ANAПTYEHエ АГРОТОYPIEMOY KAI OINOTOYPIEMOY： Н ПЕРІПТЛЕН THЕ IEPAПETPA乏

ЕПIBАEП®N КАӨНГНТНЕ ：ПАППАЕ NIKOАAOХ

EILHГHTPIA ：ПAПAఆANALIOY MAPIA
©


#### Abstract

АН $\mathbf{\Omega} \mathbf{\Omega} \mathbf{\Sigma H}$     


Палаө $\alpha \nu \alpha \sigma$ íov M $\alpha$ рí $\alpha$

31/08/2007

## ПЕРІАНЧН






 tov owoточріб $\mu$ ои́.








 тюо́ло бıбколю́v.





 кє甲 $\alpha \lambda \alpha ı$.



 $\mu о р ф$ м́v точрıбцои́.

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## КЕФАААIO 1

## TOYPIETIKOE $\mathbf{\Sigma X E}$ IIA $\mathbf{M O} \mathbf{~ K A I ~}$ ANAMTYEH

### 1.1 Eıбоүตүŋ́














 $\kappa \alpha \_\mu \varepsilon \tau \alpha ́$.




 Movté $\lambda \alpha \tau \omega v$ Doxey (1976) к $\alpha$ Butler (1980).






### 1.2 Tovpıбนós - Opıбนós $\operatorname{\tau ov}$ 'Opov


















Aлó $\mu i \alpha \alpha \dot{\alpha} \lambda \lambda \eta$ олтıкŋ́ $\gamma \omega v i \alpha$ ol Jansen -Verbeke $\kappa \alpha \iota$ Dietvorst (1987) $\delta \varepsilon v$ dívouv tóбo














- тov $\alpha v \theta \rho \dot{\pi} \pi$ vov $\delta \cup v \alpha \mu ı к о и ́ ~$
- $\tau \eta \varsigma \pi \varepsilon \rho 1 \circ \chi \eta ์ \varsigma \pi \rho о \varepsilon ́ \lambda \varepsilon v \sigma \eta \varsigma$









 $\varepsilon \pi \alpha \varphi \eta^{\prime}>$.


- $\tau \eta \nu \alpha \gamma o \rho \alpha ́$
- $\tau 0 \tau \alpha \xi \mathfrak{\xi} \delta \imath$
- $\tau о v \pi \rho о о \rho ı \sigma \mu o ́ ~ к \alpha ı ~$
- $\tau 0$ marketing.


 $\mu \varepsilon$ тоv Нүочцєขо́кך (1999):









 $\delta \delta \alpha ́ \sigma \tau \eta \mu \alpha$ ( $\lambda i \gamma \varepsilon \varsigma \varsigma \kappa ́ \rho \varepsilon \varsigma, \varepsilon \beta \delta о \mu \alpha ́ \delta \varepsilon \varsigma \varsigma ~ \eta ́ ~ \varepsilon ́ \sigma \tau \omega ~ \mu \eta ́ v \varepsilon \varsigma) . ~$





### 1.3 Tovpıбтıкŋ́ Aváл $\tau v \xi ̧ \eta$













 (Коккю́бๆऽ \& Tбо́ $\rho \tau \alpha \varsigma, 2001)$











1. ol $\alpha v \theta \rho \dot{\pi} \pi \imath \varepsilon \varepsilon \varsigma \alpha v \alpha ́ \gamma \kappa \varepsilon \varsigma \varsigma \pi \imath \beta i ́ \omega \sigma \eta \zeta$

2. то $\varepsilon \pi i ́ \pi \varepsilon \delta о ~ \delta i \alpha \beta i ́ \omega \sigma \eta \varsigma$.










 WTO, (1992), E, (1993), Wold Travel Tourism, (1992) vđ ́́p
 $\sigma \chi \varepsilon ́ \sigma \eta$ :




 World Travel and Tourism, (1992).







 $\alpha к о \lambda о \cup \theta \eta \theta \varepsilon i ́$.












 Eyssartel $\kappa \alpha_{1}$ Rochette (1992).

## 

Y ж́́p



## 







## $\Delta \mathbf{t} \alpha \sigma \pi \boldsymbol{\sigma} \boldsymbol{\alpha}$






## $\Theta \varepsilon \omega \rho i ́ \alpha \tau \eta \varsigma E \xi \not ́ \rho \tau \eta \sigma \eta \zeta$




 $\varepsilon \xi \alpha \rho \tau \tau \mu \varepsilon ́ v \varepsilon \varsigma .(B r o w e t t, 1980)$

## 









- $\tau \eta \varsigma \alpha \pi о \tau \varepsilon \lambda \varepsilon \sigma \mu \alpha \tau \iota \kappa o ́ \tau \eta \tau \alpha \varsigma \tau \eta \zeta$ оюкоvo $\mu i \alpha \varsigma$ (economic efficiency)






1. $\eta \chi \rho \eta ́ \sigma \eta \pi о ́ \rho \omega v \mu \varepsilon \tau \rho о ́ \pi о ~ \beta 1 ळ ́ \sigma \not \mu о$
2. $\eta \mu \varepsilon i ́ \omega \sigma \eta \tau \eta \varsigma ~ v \pi \varepsilon \rho \kappa \alpha \tau \alpha v \alpha ́ \lambda \omega \sigma \eta \zeta \kappa \alpha \iota \tau \omega v \alpha \pi о \rho \rho \not \mu \mu \alpha ́ \tau \omega v$
3. $\eta \delta i \alpha \tau \eta \dot{\rho}\rceil \sigma \eta \tau \eta \zeta \kappa \lambda \eta \rho о v o \mu \alpha<\varsigma$



4. $\eta \alpha \pi о \delta о \chi \eta ́ ~ \sigma \cup \mu \beta о \nu \lambda \omega ́ v \tau \omega v \pi \alpha \rho \alpha \gamma о ́ v \tau \omega v$ к $\alpha \iota \tau 0 \cup$ коเvоט́
5. $\eta \varepsilon \kappa \pi \alpha i \delta \varepsilon v \sigma \eta \pi \rho о \sigma \omega \pi ı \kappa о и ́$
6. $\eta$ عиӨи́v $\eta$ тоирıттıкои́ $\mu \alpha ́ \rho к \varepsilon \tau ı v \gamma к ~$
7. $\eta \delta \varepsilon \varepsilon \xi \alpha \gamma \omega \gamma \eta \dot{\eta} \varepsilon ́ \rho \varepsilon \cup v \alpha \varsigma$





## 







- $\tau \alpha$ Movté $\lambda \alpha$ Kúк $\lambda o v ~ Z \omega \eta ́ \varsigma ~$

- A $\lambda \lambda 0 \gamma \varepsilon v \eta ́ ~ M o v \tau \varepsilon ́ \lambda \alpha ~$


### 1.5.1 Movtéえ $\alpha$ Kv́кえov Z $\omega$ ท̧́







 (Andriotis, 2000).

To $\mu \circ \vee \tau \varepsilon ́ \lambda o ~ \tau o v ~ D o x e y ~ \alpha \pi о \tau \varepsilon \lambda \varepsilon i ́ ~ \mu \varepsilon ́ \rho o ̧ ~ \tau \omega v ~ M o v \tau \varepsilon ́ \lambda \omega v ~ \tau o v ~ K u ́ \kappa \lambda o v ~ Z \omega \eta ́ \varsigma ~ к \alpha ı ~$


 (Fennel, 2001):

Teatko ellilileao

EIIIIEAO ANTALSNILMOY

## EIIIIEAO AIIAQEIAL

EПIIIE $\triangle$ O EYФOPIAL

 $\varepsilon \pi i \pi \varepsilon \delta o$.
 $\theta \omega \rho о и ์ v ~ \tau o u ̧ ~ \tau о \cup \rho i ́ \sigma \tau \varepsilon \zeta ~ \delta \varepsilon \delta о \mu \varepsilon ́ v o u ̧ ~ \kappa \alpha l ~ \eta ~ \sigma \chi \varepsilon ́ \sigma \eta ~ \mu \varepsilon \tau \alpha \tau \rho \varepsilon ́ \pi \varepsilon \tau \alpha l ~ \sigma \varepsilon ~ к \alpha \theta \alpha \rho \alpha ́ ~$
 $\theta \varepsilon ́ \sigma \eta ~ \tau \eta \varsigma ~ \sigma \tau о ~ \sigma \chi \varepsilon \delta 1 \alpha \sigma \mu \circ ́ \mu \alpha ́ \rho \kappa \varepsilon \tau \imath v \gamma \kappa$.



 $\pi \rho о \sigma \tau \alpha \sigma \dot{\alpha} \alpha \varsigma$ ท́ $\varepsilon \lambda \varepsilon ́ \gamma \chi \circ \cup \tau \eta \varsigma \pi \varepsilon \rho ю \chi \eta ́ \varsigma ~ \tau о \cup \varsigma$.







 1976).








 $\nu \alpha \alpha v o \chi \tau \varepsilon i ́ ~ \pi \rho \circ \varsigma ~ v \varepsilon ́ o u ̧ ~ о \rho i \zeta ̧ o v \tau \varepsilon \varsigma . ~$







 оı vлобо $\mu \varepsilon ́ \varsigma ~ o ́ \mu \omega \varsigma ~ \pi о ט ~ v \pi \alpha ́ \rho \chi о v v, ~ \varepsilon i ́ v \alpha ı ~ v \pi o ́ ~ \alpha v \alpha ́ \pi \tau v \xi ̆ \eta . ~ Н ~ \varepsilon \mu \pi о \rho ı к \eta ́ ~ \sigma ט v \alpha \lambda \lambda \alpha \gamma \eta ́ ~$










 $\alpha \pi \varepsilon ́ v \alpha v \tau \iota ~ \sigma \tau о \cup \varsigma ~ \tau о \cup \rho i ́ \sigma \tau \varepsilon \varsigma$.







 $\Sigma \chi \varepsilon \delta 1 \alpha \gamma \rho \alpha ́ \mu \mu \alpha \tau о \varsigma$

 $\kappa_{\alpha}{ }^{1} \Delta$ тои $\Sigma \chi \varepsilon \delta<\alpha \gamma \rho \alpha ́ \mu \mu \alpha \tau о \varsigma$.



### 1.5.2 Морфодоүчко́ Моут ́̇да






1. $\eta$ Eıঠıкŋ́ Toupıбтıкŋ́ Zóvๆ

2. ol Толıке̧́ Гєıтоvı̧́́

3. ои Перıрєрєıккє́ц Пєрıоє́ц











### 1.5.3 A $\lambda \lambda$ оүєvŋ́ Movté入 $\alpha$












 (Britton, 1982, Freitag, 1994).

##  



 Institute of Marketing (Holloway \& Robinson, 2003 oع $\lambda$ 17):











 $\pi \alpha ́ \nu \tau \omega \nu \varepsilon \pi \eta \rho \varepsilon \alpha \sigma \tau \varepsilon i ́$.

 $\alpha \pi о р \alpha \sigma i ́ \sigma о v \mu \varepsilon ~ \gamma 1 \alpha ~ \tau \eta \nu ~ \alpha \gamma о \rho \alpha ́-~ \sigma \tau о ́ \chi о ~ \sigma \tau \eta \nu ~ о \pi о i ́ \alpha ~ \alpha \pi \varepsilon v \theta v v o ́ \mu \alpha \sigma \tau \varepsilon ~ \mu \varepsilon ~ \sigma к о \pi o ́ ~ v \alpha ~ \tau \eta \nu$




2. $\sigma \tau \eta \nu$ TIMH, $\eta$ олоí $\theta \alpha$ л $\pi \varepsilon ́ \pi \varepsilon \imath ~ v \alpha ~ \lambda \alpha ́ \beta \varepsilon ı ~ v \pi o ́ \psi \eta ~ \tau о \nu ~ \alpha v \tau \alpha \gamma \omega v ı \sigma \mu o ́ ~ \kappa \alpha ı ~ \alpha \nu \alpha ́ \lambda о \gamma \alpha$. $\nu \alpha \delta 1 \alpha \mu о \rho \varphi \omega \theta \varepsilon i ́$.



 $\varepsilon \delta \rho \alpha \iota \omega \theta \varepsilon i ́ \alpha \lambda \lambda \alpha \dot{\alpha} \kappa \alpha \imath v \alpha \gamma i v \varepsilon \imath \alpha \pi о \delta \varepsilon \kappa \tau$ ó $\sigma \tau \eta v \alpha \gamma о \rho \alpha ́-\sigma \tau о ́ \chi 0$.


 2001)


 (Morrison, 2001)













 $\pi \rho о \sigma \varphi о \rho \alpha ́ \alpha \alpha \iota \tau \eta \zeta \eta \tau \tau \varnothing \eta$.








 $\alpha \varepsilon \rho о \lambda \lambda \mu \varepsilon ́ v \alpha \ldots$



 $\mu \varepsilon ́ \chi \rho ı ~ \tau \varepsilon ́ \lambda \eta ~ \Sigma \varepsilon \pi \tau \varepsilon \mu \beta \rho i ́ o v ~ \varepsilon \vee ต ́ ~ \sigma \varepsilon ~ \chi \varepsilon ц \mu \varepsilon \rho เ v \alpha ́ ~ \theta \varepsilon ́ \rho \varepsilon \tau \rho \alpha ~ \mu o ́ v o ~ \kappa \alpha \tau \alpha ́ ~ \tau \eta \nu ~ \pi \varepsilon \rho i ́ o \delta o ~ \tau о ט ~$











 $\pi \rho \circ \varsigma \tau \tau \nu \tau \varepsilon \lambda \iota \kappa \circ ́ \chi \rho \eta ́ \sigma \tau \eta$.






 $\gamma \varepsilon \cup ́ \mu \alpha \sigma \tau \eta \tau \downarrow \mu \dot{\eta} \ldots$










## 1.7 Ма̧̧ıко́я Tovpıбнóg






























 (Коккळ́бŋऽ \& Tоф́ $\rho \tau \alpha \varsigma, 2001$ )



















 Weiler \& Hall, 1992, Tó́ $\rho \tau \alpha \varsigma, 1996)$.

## $1.8 \Sigma v \mu \pi \varepsilon \rho \alpha ́ \sigma \mu \mu \tau \alpha$






 $\pi \rho о \sigma \tau \alpha \sigma \dot{\alpha} \alpha$ тоข $\pi \varepsilon \rho \imath \beta \dot{\alpha} \lambda \lambda$ оขтос.









## КЕФAAAIO 2

ENAAAAKTIKEE MOPФEE TOYPIEMOY<br>- АГРОТОYPIEMOE<br>-OINOTOYPIEMOE

### 2.1 Eıб $\boldsymbol{\sigma} \boldsymbol{\gamma} \boldsymbol{\gamma} \boldsymbol{\eta}$











 $\tau \rho о ́ \pi \omega \nu$ ఢФท́ร.



 Ієро́лєт $\rho, \varsigma_{.}$

## 





















 (इрккıк夫о́кךร, 2000):
 $\alpha \gamma \rho о \tau \iota к о$ о́ $\boldsymbol{\sigma v \varepsilon \tau \alpha \iota \rho ı \sigma \mu о v ́ . ~}$





## 



 $\varepsilon \mu \pi \varepsilon \varsigma \dot{\rho} \varepsilon \varsigma$.














 тоvpıбио́c.



 тоvpıбนóç véov.




 $\delta \eta \mu \imath \quad \rho \gamma о и ́ v \tau \alpha \iota \varepsilon \iota \delta \kappa \alpha ́ \pi \rho о \gamma \rho \alpha ́ \mu \mu \alpha \tau \alpha$.

 vүро乃เо́толตv.

 $\pi \rho о \tau 七 \mu о и ์ v \tau \alpha$.





 єข๙бходท́бєıร тоия.



















## 

### 2.3.1. Aүротоvрıб $\mu$ óg-Гєvıки́










О $\alpha \gamma \rho о \tau о \cup \rho \imath \sigma \mu о ́ \varsigma ~ \mu \pi о \rho \varepsilon i ́ ~ v \alpha ~ \sigma u v \delta \varepsilon \theta \varepsilon i ́ ~ o ́ \chi \imath ~ \mu o ́ v o ~ \mu \varepsilon ~ \chi \alpha \lambda \alpha ́ \rho \omega \sigma \eta, ~ \eta \rho \varepsilon \mu i \alpha, ~ к \alpha ı ~ \delta ı \alpha к о \pi \varepsilon ́ \varsigma ~ \alpha \lambda \lambda д \alpha ́ ~$










 $\tau \omega v \alpha \iota \omega \in \omega v$.

## 







- Iбторі́ $\alpha$, Те́ $\chi$ vȩ, По $\lambda \tau \iota \sigma \mu o ́, ~ П \alpha \rho \alpha ́ \delta о \sigma \eta ~$


- $\quad \sigma \mu \mu \varepsilon \tau \varepsilon ́ \chi о v v$





Avti $\theta \varepsilon \tau \alpha, \sigma \tau о \not \chi \varepsilon i ́ \alpha$ ó $\pi \omega \varsigma$ (Rural Invest, 2006):

- А $л \frac{\mu}{}{ }^{\circ} v \omega \sigma \eta \tau \eta \varsigma \varepsilon \pi \chi \chi \varepsilon i ́ \rho \eta \sigma \eta \varsigma$




 $\alpha \gamma \rho о \tau о \cup \rho ı \tau \tau к \eta ́ \varsigma ~ \mu о 火 \alpha ́ \delta \alpha \varsigma$.


### 2.3.3 T $\alpha \chi \alpha \rho \alpha \kappa \tau \eta \rho \iota \sigma \tau \iota \kappa \alpha ́ ~ \tau \omega v \alpha \gamma \rho о \tau о v \rho \iota \sigma \tau \omega v$



















### 2.3.4 П $\rho \alpha \delta \varepsilon i ́ \gamma \mu \alpha \tau \alpha \pi \varepsilon \rho ı \pi \tau \omega ́ \sigma \varepsilon \omega v ~ \alpha \gamma \rho о \tau о v \rho ı \sigma \tau \iota \kappa \dot{v} \mu о v \alpha ́ \delta \omega v$



 www.agrotourismos.gr, $\kappa \alpha l$ www.agronews.gr

























 2006).












### 2.4 Oıvotovpıб $\mu$ ós - Гعvıки́





 точ $\mu \alpha ́ \rho к \varepsilon \tau \iota v \gamma к ~ \pi \rho о о \rho ı б \mu о ч ́ » ~(W e s t e r n ~ A u s t r a l i a n ~ T o u r i s m ~ B o a r d, ~ 2000) . ~$.







 $\pi \rho о$ ӧ́v $\tau \alpha$ touc.












##  









- $\tau \eta \nu \delta \rho о \mu о \lambda o ́ \gamma \eta \sigma \eta \gamma 1 \alpha \sigma \tau \alpha \delta \delta \alpha \kappa \eta ́ \alpha \pi о \kappa \alpha \tau \alpha ́ \sigma \tau \alpha \sigma \eta \tau \omega \nu \sigma \eta \mu \alpha \tau о \delta о \tau \eta ́ \sigma \varepsilon \omega v$







 тоирıбтוкळ́v $\delta 1 \alpha \delta \rho о \mu \omega ́ v$

 $\varepsilon v \delta ı \alpha \varphi$ ќpovто̧











## 





 $\kappa \alpha \imath \mu \varepsilon \varepsilon є \sigma o ́ \delta \eta \mu \alpha \mu \varepsilon \gamma \alpha \lambda u ́ \tau \varepsilon \rho \circ 0$ тоט $\mu \varepsilon ́ \sigma o v$ ó $\rho о v$.

 $\mu \varepsilon \tau \eta \nu$ épeuva $\tau\rceil \varsigma$ Magda Antonioli Corigliano (1996) $\chi \omega \rho i \zeta o v \tau \alpha \iota \omega \varsigma \varepsilon \xi \check{\eta} \varsigma:$






 тоט̧ $\alpha \rho \varepsilon ́ \sigma \varepsilon \imath ~ \tau о ~ к р \alpha \sigma i ́ ~ \alpha \lambda \lambda \alpha ́ ~ \tau \alpha v \tau о ́ \chi \rho о v \alpha ~ \lambda \alpha \tau \rho \varepsilon v ́ o v v ~ к \alpha ı ~ \tau о ~ к \alpha \lambda о ́ ~ \varphi \alpha \gamma \eta \tau o ́, ~ \tau ı \varsigma ~$













- Oı $\Lambda \alpha ́ \tau \rho \varepsilon ı ̧ ~ \tau о v ~ к \rho \alpha б ъ о и ́ ~(t h e ~ W i n e ~ L o v e r s): ~ \pi \rho o ́ к \varepsilon ı \tau \alpha ı ~ \gamma ı \alpha ~ \tau о и р i ́ \sigma \tau \varepsilon ̧ ~ \mu \varepsilon ~$


 $\mu \alpha ́ \theta o v v ~ \pi \varepsilon \rho \imath \sigma \sigma o ́ \tau \varepsilon \rho \alpha ~ \pi \rho \alpha ́ \gamma \mu \alpha \tau \alpha ~ \gamma 1 \alpha ~ \tau о ~ к \rho \alpha \sigma i ́ ~ \alpha \lambda \lambda \alpha ́ ~ \eta ~ \varepsilon \pi i ́ \sigma \kappa \varepsilon \psi \eta ~ \tau о и \varsigma ̧ ~ \varepsilon ́ \chi \varepsilon є ~ к \alpha ı ~$ $\gamma \alpha \sigma \tau \rho о \nu о \mu \kappa \varepsilon ́ \varsigma ~ \pi \rho о \varepsilon к \tau \alpha ́ \sigma \varepsilon \longleftarrow \varsigma$.





 $\kappa \alpha ́ \theta \varepsilon \alpha \mu \pi \varepsilon \lambda о$ орүои́/ owvoл $\alpha \rho \alpha \omega \gamma о v$.













 1998).




### 2.4.3 Поркסєí $\gamma \mu \alpha \tau \alpha$ оıvoтоvрıбтькळ́v $\mu$ оvó $\delta \omega v$.











 Margaret River. (Margaret River, 2006)




 $\alpha \rho \kappa \varepsilon \tau \alpha ́ \beta \rho \alpha \beta \varepsilon i ́ \alpha$.







 $\pi \varepsilon \rho i ́ \pi о v$ ol owo $\alpha \alpha \rho \alpha \gamma \omega \gamma o i ́ . ~(m a r g a r e t r i v e r, ~ 2006) ~$






 $\pi \alpha \rho \alpha ́ \lambda \lambda \lambda \eta \lambda \varepsilon \varsigma \delta \rho \alpha \sigma \tau \eta \rho ⿺ 𠃊 ́ \tau \eta \tau \varepsilon \varsigma \mu \mu \zeta ̧$ í. (WineTravel Group, 2006)











 P $\alpha \delta$ ıо $\omega v i \alpha, 2006$ )










 Мошробо́ $\varphi v \eta$.











 Sauvignon, Chardonnay, Merlot $\alpha \lambda \lambda \alpha \dot{\alpha} \kappa \alpha \imath \tau \omega v \varepsilon \lambda \lambda \eta \nu \imath \kappa \omega ́ v \tau о \kappa \imath \lambda \iota \omega v$ Podít $\kappa \alpha \imath$


 $\chi \rho \eta \sigma \mu о \pi о ю и ์ v \tau \alpha 1$.

## $2.5 \Sigma v \mu \pi \varepsilon \rho \dot{\alpha} \sigma \mu \alpha \tau \alpha$.



 $\pi \varepsilon \rho ю \chi \eta ́ ~ \tau \eta \varsigma ~ І \varepsilon \rho \alpha ́ \pi \varepsilon \tau \rho \alpha \varsigma ~ \tau о и ~ N o \mu о и ́ ~ \Lambda \alpha \sigma ı \theta i ́ o v ~ K \rho \eta ́ \tau \eta \varsigma . ~$











 $\varepsilon \pi \imath \theta \nu \mu i \varepsilon \varsigma ~ \alpha, \varphi o v ́ ~ \eta ~ \beta \alpha \rho v ́ \tau \eta \tau \alpha ~ \tau \omega v ~ \pi \rho \alpha к \tau о ́ \rho \omega v ~ \delta i ́ v \varepsilon \tau \alpha » ~ \pi \varepsilon \rho ı \sigma \sigma o ́ \tau \varepsilon \rho о ~ \sigma \tau \eta ~ \delta \eta \mu ı о и \gamma \gamma i ́ \alpha ~$



 $\kappa \lambda i \mu \alpha \tau о \varsigma \pi \varepsilon \rho i ́ ~ \tau о и ~ \tau о \cup \rho \imath \sigma \mu о v ́ . ~$


 $\varepsilon v \alpha \lambda \lambda \alpha \kappa \tau \iota \kappa о v ́$.

## КЕФАААIO 3

## ME@OДOАОГIA EPEYNA天

### 3.1 Eıбоүต $\boldsymbol{\eta}$





 $\alpha \lambda \lambda \alpha ́ \kappa \alpha \imath \theta \alpha \delta 1 \alpha \sigma \varphi \alpha \lambda i \zeta ̧ \varepsilon \imath \tau \eta v \varepsilon \gamma \kappa \cup \rho o ́ \tau \eta \tau \alpha \tau \omega v \alpha \pi \circ \tau \varepsilon \lambda \varepsilon \sigma \mu \alpha ́ \tau \omega \nu \tau \eta \varsigma$.






 отохєєí $\omega v$ лоข $\pi \rho о \varepsilon ́ к и ч \alpha v . ~$

## 






 $\alpha v \alpha \xi$ เó $t \downarrow \tau \varepsilon \varsigma$. (Denzin \& Lincoln, 1998)





 $\mu \varepsilon$ Өóסous. (Denzin \& Lincoln, 1998)



 тŋऽ દ́p





## $3.3 \Delta \eta \mu 10 v \rho \gamma i ́ \alpha$ Eрєvvŋтıкоv́ Ерюти́ $\mu \alpha \tau о \varsigma$


 $\Theta \varepsilon \omega \rho \eta \tau ⿺ к о$.








- $\sigma \tau \eta \nu \pi \rho о ́ \beta \lambda \varepsilon \psi \eta$ ко́лошข $\mu \varepsilon \lambda \lambda о \nu \tau \iota \kappa ळ ́ v ~ \gamma \varepsilon \gamma о v o ́ \tau \omega v ~ \mu \varepsilon ~ \sigma \tau о ́ \chi о ~ \tau о \nu ~ \sigma \chi \varepsilon \delta ı \alpha \sigma \mu o ́ ~$
 ૬ŋंचทoŋร

 $\alpha \lambda \lambda \alpha \gamma \dot{\eta})$
 то́бE!̧)














 vocítaı Toupıтікŋ́.


## 









#### Abstract

 $\varepsilon \pi \alpha \gamma \gamma \varepsilon \lambda \mu \alpha \tau \iota \kappa \eta$ ¢ като́бтабךऽ $\dot{\eta} \mu о \rho \varphi \omega \tau \iota к о и ́ ~ \varepsilon \pi \iota \pi \varepsilon ́ \delta o v ~ \sigma \chi \varepsilon \tau \iota к \alpha ́ ~ \mu \varepsilon ~ \tau \eta \nu ~$ $\kappa \alpha \tau \dot{\sigma \tau \tau \alpha \sigma \eta ~ \tau о v ~ \tau о v \rho ı \sigma \mu о v ́ ~ \sigma \tau \eta v ~ I \varepsilon \rho \alpha ́ \pi \varepsilon \tau \rho \alpha, ~ \tau \eta v ~} \theta \dot{\varepsilon} \lambda \eta \sigma \eta ~ \pi о v ~ v \pi \dot{\alpha} \rho \chi \varepsilon \iota$ भıа $\pi \varepsilon \rho \alpha \iota \tau \varepsilon ́ \rho \omega ~ \beta \varepsilon \lambda \tau i \omega \sigma \eta ~ \eta ́ ~ к \alpha ı ~ \varepsilon v \alpha \sigma \chi o ́ \lambda \eta \sigma \eta ~ \mu \varepsilon ~ \tau о v ~ \tau о \mu \varepsilon ́ \alpha ~ \tau о v ~$     $\tau \dot{\lambda} \lambda о \varsigma ~ \tau \eta \nu \dot{\alpha} \pi о \psi \eta ~ \tau o v \varsigma ~ \gamma l \alpha ~ \tau о ~ к \alpha \tau \alpha ́ ~ \pi о ́ \sigma o ~ \alpha v \tau \varepsilon ́ \varsigma ~ o l ~ \pi \varepsilon \rho ı \pi \tau \dot{\sigma \sigma \varepsilon ı \varsigma ~}$   


## 



 $\varepsilon \pi \imath \theta \rho \mu \eta \tau$ о́ $\alpha \pi о \tau \varepsilon ́ \lambda \varepsilon \sigma \mu \alpha$.


 тоирıбиои́.
 $\pi \varepsilon \rho ю \chi$ ๆ̆ร.

 Ієро́л $\varepsilon \tau \rho \alpha \varsigma$.
 Ієро́лєт $\rho \propto$.

## 



 $\sigma \chi \varepsilon \delta ı \alpha \sigma \mu \circ u ́ \varsigma ~ \varepsilon ́ \rho \varepsilon \cup v \alpha c ̧ ~(S e k e r a n, ~ 2000): ~$


- $\tau о \downarrow$ Пгртүрарıко́ (Descriptive)
- $\tau о v$ Елє $\xi \eta \gamma \eta \mu \alpha \tau \iota \kappa o ́ ~(E x p l a n a t o r y) ~$













 $\alpha \xi ю \lambda o ́ \gamma \eta \sigma \eta$.


 (Malhorta, 1996).








 $\kappa \alpha ı \alpha v \alpha ́ \lambda u \sigma \eta$ тоט.

 $\tau \eta \vee \alpha \pi о \tau \varepsilon \lambda \varepsilon \sigma \mu \alpha \tau \iota \kappa о ́ \tau \eta \tau \alpha$ к кı $\varepsilon \pi \iota \tau \cup \chi i ́ \alpha$ тovs (Veal, 1997).









## 





 одокл $\eta \rho \omega \theta \varepsilon i ́ ~ \kappa \alpha ı v \alpha$ о $\delta \eta \gamma \eta \theta \varepsilon i ́ ~ \sigma \varepsilon ~ \alpha \pi о \tau \varepsilon \lambda \varepsilon ́ \sigma \mu \alpha \tau \alpha$.


2. $\Delta \varepsilon \cup \tau \varepsilon \rho о \gamma \varepsilon \vee \eta ́ \varsigma ~ \varepsilon ́ \rho \varepsilon \cup v \alpha ~$
3.П $\alpha \rho \alpha \tau \dot{\rho} \rho \sigma \eta$




 $\pi \rho о \sigma \chi \varepsilon \delta 1 \alpha \sigma \mu \varepsilon ́ v o$ (Fontana \& Frey, 1994)



 каı тоv oเvoточрıб $\mu$ ои́.




### 3.8 Ot Ерштஸ́иєvo七







 Ієро́лє $\tau \rho \alpha$.

## 


 $\alpha v о$ ктои́ ти́тоv, лоט $\alpha$ 甲орои́v:
 $\pi \varepsilon \rho ı \chi \eta$ т $\tau \varsigma$



5. $\sigma \tau \eta \nu \alpha v \alpha ́ \pi \tau \cup \xi ̧ \eta ~ \sigma \varepsilon \sigma \chi \varepsilon ́ \sigma \eta ~ \mu \varepsilon \varepsilon \vee \alpha \lambda \lambda \alpha \kappa \tau \kappa \varepsilon ́ \varsigma ~ \mu о \rho \varphi \varepsilon ́ \varsigma ~ \tau о \cup \rho \imath \sigma \mu о v ́ ~$









 $\theta \alpha \pi \rho о \sigma \varepsilon \lambda \kappa$ ט́ovт $\alpha v \sigma \tau \eta \nu \pi \varepsilon \rho ı \chi \eta \dot{\eta}$.

### 3.10 Үлодоүıбцо́я $\Delta \varepsilon і ́ \gamma \mu \mu \tau о \varsigma$.





$\alpha \rho \nu \eta \tau 1 \kappa \alpha ́ . ~ A \pi o ́ ~ \tau о ~ \sigma ט ́ v o \lambda o ~ \tau \omega v ~ \alpha \pi \alpha \nu \tau \eta ́ \sigma \varepsilon \omega v ~ \tau о ~ 95 \% ~ \alpha \pi о \tau \varepsilon \lambda \varepsilon i ́ ~ \tau o ~ \delta \delta \alpha ́ \sigma \tau \eta \mu \alpha$,


$\mathrm{N}=(\mathrm{t}-\mathrm{table})^{2 *}(\mathrm{TR}) / \mathrm{S}^{2} \Rightarrow \mathrm{~N}=(1,96)^{2} *(0,5)^{*}(0,5) /(0,5)^{2} \Rightarrow 384,16 \quad \delta \eta \lambda \alpha \delta \dot{\eta} \quad \pi \varepsilon \rho i ́ \pi о и \quad 400$





## 







 $\tau \eta \varsigma ~ « \Sigma u \chi v o ́ \tau \eta \tau \alpha \varsigma »$ (Frequencies) $\chi \rho \eta \sigma \mu о \pi о \emptyset \emptyset \theta \eta \kappa \varepsilon \mu \varepsilon$ бколо́ $\tau \eta \nu \kappa \alpha \tau \alpha \mu \varepsilon ́ \tau \rho \eta \sigma \eta \tau \eta \varsigma$ $\sigma \cup \chi v o ́ \tau \eta \tau \alpha \varsigma \tau \omega v \alpha \pi \alpha v \tau \eta \dot{\sigma} \varepsilon \omega v \sigma \varepsilon \mu i ́ \alpha \mu \varepsilon \tau \alpha \beta \lambda \eta \tau \eta \dot{\prime}(М \alpha \kappa \rho \alpha ́ \kappa \eta \varsigma, 2005)$.



 $\chi \rho \eta \sigma \mu о \pi о$ ŋ́ $\theta \eta \kappa \varepsilon \sigma \tau \iota \varsigma \pi \varepsilon \rho \imath \pi \tau \dot{\sigma} \sigma \varepsilon \iota \varsigma \mu \varepsilon \mu \dot{\prime} \alpha \mu$ о́vo $\mu \varepsilon \tau \alpha \beta \lambda \eta \tau \eta$.

 $\delta 1 \alpha к \dot{\mu \alpha} \boldsymbol{v \sigma \eta \varsigma}$ One way ANOVA.

### 3.12 Е $\mu \pi \iota \sigma \tau \varepsilon \tau \tau \kappa к ́ \tau \eta \tau \alpha$.










 $\tau \alpha, \varepsilon \rho \omega \tau \eta \mu \alpha \tau о \lambda о ́ \gamma 1 \alpha$









### 3.13 Перıорıбиоí Eрєvvac.













 $\alpha v \tau \eta ́$.







## КЕФАААIO 4

## AПOTEAELMATA EPEYNAI

### 4.1 Eıбоүตүŋ́




























 $\varepsilon \vee \alpha \lambda \lambda \alpha \kappa \tau \iota \kappa \omega ́ v \mu о р \varphi \dot{v}$ тоирьб $\mu о v$.

## 4.2 Профíд єрюто́ $\mu \varepsilon \nu \omega v$


 $\sigma \tau \eta \nu$ ह́peuva


|  | N | (\%) |
| :---: | :---: | :---: |
| ФY ${ }^{\text {O }}$ |  |  |
| ANDPAE | 88 | 41,5 |
| $\Gamma$ YNAIKA | 124 | 58,4 |
| HAIKIA |  |  |
| 18-35 | 127 | 59,9 |
| 35-50 | 66 | 31,1 |
| $50 \mathrm{KAI} \mathrm{AN} \Omega$ | 19 | 8,96 |
| EПIПEDO EKПAIDEYГHГ |  |  |
| ПР $\Omega$ TOBA ${ }^{\text {MIA }}$ | 10 | 4,7 |
| $\triangle$ EYTEPOBA@MIA | 89 | 41,98 |
| TPITOBA MIA | 113 | 53,3 |
| EYNOAO | 212 |  |






 $\varepsilon к \pi \alpha i ́ \delta \varepsilon v \sigma \eta \varsigma ~ \varepsilon i ́ v \alpha l ~ \tau о ~ 41,98 \% ~ \tau \omega v ~ \varepsilon \rho \omega \tau \eta \theta \varepsilon ́ v \tau \omega v . ~ А л о ́ р о \imath о и ~ \tau \eta \varsigma ~ \pi \rho \omega \tau о \beta \alpha ́ \theta \mu \mu \alpha \varsigma ~$











## 






| APIOMHTIKOE MEEOE | 2,99 |
| :---: | :---: |
| TYПІКН АПОКАІІН | 0,782 |
| ФY^O |  |
| ANDPAE | 2,99 |
| $\Gamma$ YNAIKA | 2,98 |
| T Ratio | 0,044 |
| EHMANTIKOTHTA | 0,146 |
| HAIKIA |  |
| 18-35 | 2,99 |
| 36-50 | 3,11 |
| 50 KAI AN $\Omega$ | 2,63 |
| F Ratio | 2,787 |
| EHMANTIKOTHTA | 0,064 |
| EПIПEDO EKПAIDEYГHD |  |
| ПР 2 TOBAӨMIA | 2,90 |
| $\triangle$ EYTEPOBA@MIA | 2,97 |
| TPITOBA@MIA | 3,01 |
| F Ratio | 0,136 |
| EHMANTIKOTHTA | 0,873 |


















### 4.4 H $\sigma \chi \varepsilon ́ \sigma \eta ~ \tau \omega v$ к котоíк $\omega \mathrm{v} \mu \varepsilon$ тоv $\tau о \nu \rho ı \sigma \mu o ́$







 об $\eta \gamma \varepsilon i ́ \sigma \varepsilon \mu i ́ \alpha$ о $\eta \mu \alpha \nu \tau \kappa о ́ \tau \eta \tau \alpha$.








|  | Пєраıєє́рю тоирıбтькй $\alpha v \alpha ́ \pi \tau v \underset{ŋ \eta}{\eta}$ |  $\mu \varepsilon$ тоv тоvpıбио́ $\omega \subseteq ̧ v \pi \alpha ́ \lambda \lambda \eta \lambda 0 t$ |  $\alpha \pi \alpha \sigma \chi 0 ́ \lambda \eta \sigma \eta \varsigma \mu \varepsilon$ тоv тоטpıбно́ $\omega \varsigma$ єрүобо́тє؟ | Y $\pi \varepsilon \rho \tau \varepsilon \rho \varepsilon i ́ \eta$ $\alpha \pi \alpha \sigma \chi 0 ́ \lambda \eta \sigma \eta \mu \varepsilon$ тоv тоטpıб白 $\omega \varsigma$ $\varepsilon \pi \alpha ́ \gamma \gamma \varepsilon \lambda \mu \alpha$ | Y $\boldsymbol{\alpha} \dot{\alpha} \rho \chi \varepsilon \iota \theta \dot{\theta} \lambda \boldsymbol{\eta} \boldsymbol{\eta} \boldsymbol{\eta} \gamma \boldsymbol{\gamma} \boldsymbol{\alpha}$ $\pi \varepsilon \rho \alpha \iota \tau \varepsilon ́ \rho \omega$ $\varepsilon к \pi \alpha i ́ \delta \varepsilon v \sigma \eta$ к $\alpha t$ $\kappa \alpha \tau \alpha ́ \rho \tau \iota \sigma \eta$ | $\Theta \varepsilon ́ \lambda \eta \sigma \eta \gamma \boldsymbol{\gamma} \alpha \varepsilon \eta \eta \mu \dot{\rho} \rho \omega \sigma \eta$ <br>  $\mu о р ф$ т тоурıбноv́ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Total Mean | 3,89 | 3,09 | 3,42 | 3,40 | 3,40 | 3,44 |
| Std. Deviation | 1,090 | 1,148 | 1,227 | 1,452 | 1,137 | 1,244 |
| ФY^O |  |  |  |  |  |  |
| ANAPAE | 3,81 | 2,85 | 3,27 | 3,41 | 3,39 | 3,38 |
| $\Gamma$ YNAIKA | 3,95 | 3,27 | 3,53 | 3,39 | 3,41 | 3,49 |
| T Ratio | -0,953 | -2,622 | -1,522 | 0,108 | -0,157 | -0,674 |
| EHMANTIKOTHTA | -0,229 | 0,514 | 0,968 | 0,302 | 0,251 | 0,114 |
| HAIKIA |  |  |  |  |  |  |
| 18-35 | 3,82 | 3,06 | 3,46 | 3,22 | 3,25 | 3,28 |
| 36-50 | 4,08 | 3,14 | 3,42 | 3,80 | 3,71 | 3,79 |
| 50 KAI AN $\Omega$ | 3,74 | 3,16 | 3,16 | 3,16 | 3,32 | 3,37 |
| F Ratio | 1,423 | 0,120 | 0,514 | 3,881 | 3,706 | 3,822 |
| ェHMANTIKOTHTA | 0,243 | 0,887 | 0,599 | 0,022 | 0,026 | 0,023 |
| EIIIIEAO <br> EKПAIAEYEHE |  |  |  |  |  |  |
| ПРЛТОВАЄМIA | 4,60 | 3,40 | 3,30 | 2,30 | 3,90 | 4,20 |
| $\triangle$ EYTEPOBA@MIA | 4,10 | 3,16 | 3,39 | 3,44 | 3,62 | 3,70 |
| TPITOBA@MIA | 3,66 | 3,02 | 3,46 | 3,46 | 3,19 | 3,18 |
| F Ratio | 6,559 | 0,738 | 0,127 | 3,056 | 4,769 | 6,624 |
| EHMANTIKOTHTA | 0,002 | 0,479 | 0,881 | 0,049 | 0,009 | 0,002 |











 $\varepsilon \pi \imath \theta v \mu \varepsilon i ́ ~ \tau о ~ 55,6 \% ~ к \alpha ı ~ \tau \omega v ~ \delta u ́ o ~ \varphi и ́ \lambda \omega v . ~$





































 $\delta \dot{\alpha} \theta \varepsilon \sigma \eta$.


























































































## $4.5 \Delta \iota \alpha \varphi \eta ́ \mu \iota \sigma \eta$ к $\alpha \iota \tau о v \rho \iota \sigma \tau \iota \kappa \eta ́ ~ \pi \rho о \beta о \lambda \eta ́$


 $\tau \eta \nu \alpha \pi о \tau \varepsilon \lambda \varepsilon \sigma \mu \alpha \tau \tau \kappa \eta \dot{\tau} \tau о \cup \rho เ \sigma \tau 1 \kappa \eta ́ \pi \rho о \beta о \lambda \eta \dot{\tau} \tau\rceil$.









|  |  $\kappa \alpha \iota \pi \rho о ळ ́ \theta \eta \sigma \eta \varsigma$ тоирเбтıкои́ $\pi \rho o$ ö́v $\tau \boldsymbol{\sigma} \sigma \tau \eta \nu$ І $\varepsilon \rho \alpha ́ \pi \varepsilon \tau \rho \alpha$ | Ієро́лєтр $\alpha \kappa \boldsymbol{\kappa}$ <br>  |  оккоvоцико́v $\pi$ ó $\rho \omega v$ ү $\boldsymbol{\iota} \alpha$ $\delta \iota \alpha \varphi \eta \not \mu \iota \sigma \eta$ | $\Delta ı \alpha \varphi \eta ́ \mu \iota \sigma \eta$ к $\alpha \iota$ vย́ $\varepsilon \varsigma ~ \tau \varepsilon \chi v 0 \lambda 0 \gamma i ́ \varepsilon \varsigma$ | K $\alpha \tau \dot{\alpha} \sigma \tau \alpha \sigma \eta$ тоирьбтькйร <br>  $\pi \varepsilon \rho 10 \chi \mathfrak{ŋ} \varsigma$ |
| :---: | :---: | :---: | :---: | :---: | :---: |
| APIOMHTIKOL MEEOE | 2,20 | 3,23 | 3,73 | 3,86 | 1,95 |
| TYIIIKH <br> АПОКАİН | 1,115 | 1,112 | 1,288 | 1,271 | 1,122 |
| ФYAO |  |  |  |  |  |
| ANAPAE | 2,24 | 3,34 | 3,75 | 3,91 | 2,00 |
| ГYNAIKA | 2,18 | 3,15 | 3,71 | 3,83 | 1,92 |
| T Ratio | 0,393 | 1,264 | 0,224 | 0,442 | 0,515 |
| EHMANTIKOTHTA | 0,191 | 0,807 | 0,228 | 0,980 | 0,762 |
| HAIKIA |  |  |  |  |  |
| 18-35 | 2,24 | 3,15 | 3,76 | 3,85 | 2,15 |
| 36-50 | 2,21 | 3,42 | 3,67 | 4,08 | 1,71 |
| 50 KAI AN $\Omega$ | 1,89 | 3,05 | 3,68 | 3,21 | 1,47 |
| F Ratio | 0,813 | 1,587 | 0,134 | 3,515 | 5,425 |
| EHMANTIKOTHTA | 0,445 | 0,207 | 0,875 | 0,032 | 0,005 |
| $\begin{aligned} & \hline \text { EПIПEДO } \\ & \text { EKПAIAEYटHट } \\ & \hline \end{aligned}$ |  |  |  |  |  |
| ПРЛТОВАЄМIA | 3,10 | 2,90 | 3,60 | 3,20 | 2,70 |
| $\triangle$ EYTEPOBA@MIA | 2,35 | 3,40 | 3,52 | 3,63 | 2,07 |
| TPITOBA@MIA | 2,01 | 3,12 | 3,90 | 4,11 | 1,80 |
| F Ratio | 5,975 | 2,160 | 2,312 | 5,125 | 3,884 |
| EHMANTIKOTHTA | 0,003 | 0,118 | 0,102 | 0,007 | 0,022 |


















 $\tau \eta \varsigma \mu \eta \varepsilon v \alpha \sigma \chi$ о́ $\eta \eta \eta_{\varsigma} \tau \sigma \cup \varsigma \mu \varepsilon \alpha 0 \tau \varepsilon ́ \varsigma$.








 $\alpha \pi о \varphi \varepsilon ́ \rho \varepsilon \imath \kappa \alpha \imath \tau \alpha \alpha v \alpha ́ \lambda о \gamma \alpha \alpha \pi о \tau \varepsilon \lambda \varepsilon ́ \sigma \mu \alpha \tau \alpha$.













 $\pi \rho \alpha \gamma \mu \alpha \tau 1 \kappa \alpha ́ \kappa \alpha \imath \kappa \alpha ́ \tau \imath \nu \alpha \alpha \lambda \lambda \alpha \dot{\xi} \xi \iota$.










## 





|  | АIAAIKTYO | THAEOPALH | PALIOФSNO | ENTYПA | AIE@NEİ EKOE LEIL | ЕФНМЕРIAELПEPIOAIKA | TOYPIETIKOI ПРАКТОРЕЕ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| ФYAO |  |  |  |  |  |  |  |
| ANAPAE | 46 | 55 | 21 | 22 | 19 | 8 | 14 |
| $\Gamma$ YNAIKA | 66 | 80 | 39 | 37 | 18 | 12 | 12 |
| HAIKIA |  |  |  |  |  |  |  |
| 18-35 | 71 | 74 | 30 | 39 | 22 | 11 | 18 |
| 36-50 | 35 | 46 | 23 | 15 | 13 | 9 | 8 |
| $50 \mathrm{KAI} \mathrm{AN} \mathrm{\Omega}$ | 6 | 15 | 7 | 5 | 2 | - | - |
| EПIIIEAO EKIAIAEYEHE |  |  |  |  |  |  |  |
| ПР 2 TOBA@MIA | 5 | 8 | 4 | 26 | 16 | 5 | 7 |
| $\triangle$ EYTEPOBA@MIA | 44 | 60 | 24 | 36 | 21 | 15 | 19 |
| TPITOBA@MIA | 63 | 67 | 3 | - | 37 | 20 | 26 |































 $\omega \varsigma ~ \mu \varepsilon ́ \sigma o ~ \varepsilon \vee \eta \mu \varepsilon ́ \rho \omega \sigma \eta \varsigma$.

## 




 т $\tau \vee$ єиро́тгр $\pi \varepsilon \rho ⿺ \propto \chi \dot{\eta}$
















## 



 $\pi \varepsilon \rho ю \chi \eta ́ \varsigma$.
















 $\tau \omega \vee \tau 0 \cup \rho \iota \sigma \tau \omega ́ v$.
























 $\alpha v \alpha \mu о v \eta ́ \varsigma ~ \sigma \tau \eta ~ \sigma \tau \alpha ́ \sigma \eta$.




 $\pi \rho о о \rho ı \sigma \mu о v ́ \varsigma, ~ \varepsilon ́ \sigma \tau \omega ~ \tau о v ~ \varepsilon \sigma \omega \tau \varepsilon \rho ı к о и ́ ~ к \alpha ı ~ v \alpha ~ \alpha \pi о \varphi \varepsilon ט ́ \gamma о \nu \tau \alpha ı ~ \varepsilon ́ \tau \sigma \imath ~ \tau \alpha ~ \delta \rho о \mu о \lambda о ́ \gamma ı \alpha ~ \pi \rho о \varsigma ~ \tau \alpha ~$



 عítє $\alpha \kappa \tau о \pi \lambda о і ̈ к \omega ́ \varsigma . ~$










## 



















## 





















|  |  |  | $\begin{aligned} & \text { W } \\ & 0 \\ & \vdots \\ & \vdots \end{aligned}$ |  |  |  | $\begin{aligned} & \sqrt[4]{4} \\ & \sqrt[4]{4} \\ & \frac{1}{2} \\ & \sqrt{2} \end{aligned}$ |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| TYAO |  |  |  |  |  |  |  |  |  |  |
| ANAPAL | 14 | 26 | 5 | 8 | 6 | 12 | 18 | 3 | 4 | 7 |
| ГYNAIKA | 9 | 36 | 9 | 11 | 15 | 19 | 29 | 2 | 3 | 9 |
| HAIKIA |  |  |  |  |  |  |  |  |  |  |
| 18-35 | 9 | 3 | 4 | 10 | 10 | 17 | 17 | 2 | 4 | 6 |
| 36-50 | 11 | 23 | 9 | 7 | 9 | 11 | 24 | 1 | 2 | 7 |
| $50 \mathrm{KAI} \mathrm{AN} \Omega$ | 3 | 6 | 1 | 2 | 2 | 3 | 6 | 2 | 1 | 3 |
| EПIIIEAO EKII/LHट |  |  |  |  |  |  |  |  |  |  |
| ПРЛТОВАЄМIA | 2 | 1 | - | 7 | 1 | 1 | 1 | - | 1 | 7 |
| $\triangle$ EYTEPOBA@MIA | 7 | 21 | 4 | 12 | 3 | 13 | 17 | 2 | 2 | 7 |
| TPITOBA@MIA | 14 | 40 | 10 | 19 | 17 | 1 | 29 | 3 | 4 | 9 |









 $\mu \kappa \kappa ŋ ́ \eta$ бıа.роро́.






 $\tau \omega v \pi \tau \cup \chi ю v ์ \chi \omega v$ єлі́ซ $\varsigma$.











 $\varepsilon \kappa \pi \alpha i \delta \varepsilon v \sigma \eta \varsigma(70 \%) \kappa \alpha ı \mu \alpha ́ \lambda ı \tau \alpha \alpha \gamma \nu \alpha i ́ \kappa \varepsilon \varsigma(7,2 \%)$ то $\delta \eta \lambda \omega ́ v o v v$.








 $\sigma \tau \eta v \gamma$ үорти́ $\tau о$ А A





### 4.11 П $\alpha \rho \alpha \delta 0 \sigma เ \alpha \kappa \alpha ́ \pi \rho о$ ö́v $\tau \alpha$


 $\gamma \dot{\rho} \rho \omega \alpha \pi$ о́ $\alpha v \tau \grave{\nu}$.







 $\pi \rho о \tau і ́ \mu \eta \sigma \eta ~ \alpha v \alpha . \varphi \varepsilon ́ \rho \varepsilon \tau \alpha l$ бто коккıvє́ $\lambda ı \tau \omega v \mathrm{M} \alpha \lambda \lambda \omega \dot{\nu}$.





|  | TYPIA | KPAEI | PAKI | ГАYKA | A $\mathbf{N A O}$ |
| :---: | :---: | :---: | :---: | :---: | :---: |
| TYAO |  |  |  |  |  |
| AN $\triangle$ PAE | 35 | 55 | 69 | 57 | 35 |
| ГYNAIKA | 51 | 68 | 102 | 83 | 39 |
| HAIKIA |  |  |  |  |  |
| 18-35 | 49 | 72 | 104 | 75 | 33 |
| 36-50 | 31 | 40 | 49 | 49 | 31 |
| $50 \mathrm{KAI} \mathrm{AN} \Omega$ | 6 | 11 | 18 | 16 | 10 |
|  |  |  |  |  |  |
| ПР 2 TOBA@MIA | 4 | 5 | 5 | 6 | 4 |
| $\triangle$ EYTEPOBA@MIA | 50 | 55 | 74 | 59 | 27 |
| TPITOBA@MIA | 32 | 63 | 92 | 75 | 43 |


 $\pi \alpha \rho \alpha \delta о \sigma \iota \alpha \kappa$ толıко́ лрӧ̈óv.






























##  










|  | Aváлтvక̧ท $\boldsymbol{\tau} \boldsymbol{\omega} v$ बvv\＆т $\alpha \iota \rho \iota \sigma \mu \oplus ้$ $\kappa \alpha \iota \alpha ́ v \theta \iota \sigma \eta \tau \eta ร$ толькйร оккоуоцías | Avóл $\tau v \underset{\eta}{\eta} \boldsymbol{\tau} \boldsymbol{\omega}$ बvvetalpıбนஸ́v <br>  тоvрıбтळ́v | Avóлтvĕ̉ $\boldsymbol{\tau 0 v}$ ауротоvpıбцои́ кал о七коуоцía | Avón $\tau \boldsymbol{v} \boldsymbol{\eta}$ тоv $\alpha \gamma \rho о \tau о v \rho \iota \sigma \mu о v ́ к \alpha \iota$ <br>  $\pi \varepsilon \rho เ$ ódov |  ауротоvpıбнои́ $\kappa \alpha \iota \beta \varepsilon \lambda \tau i ́ \omega \sigma \eta$ тоvрıбтікฑ́s $\pi 010 ์ \tau \eta \tau \alpha \varsigma$ |  olvotovpıбио v́кגı оккоуоцía | Avóлтvక̧ŋ $\mathfrak{\tau 0 v}$ оเvotovpıбцо <br>  тоорıбтікйร $\pi \varepsilon \rho 10 ́ \delta o v$ | Avóл $\tau \boldsymbol{v} \boldsymbol{\eta} \boldsymbol{\eta} \tau 00$ 0tvotovplauo v́к人l $\beta \varepsilon \lambda \tau_{i ́ \omega} \omega \boldsymbol{\eta}$ тоvрıбтוкй $\pi 0$ о́тŋ $\tau \alpha \varsigma$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\begin{aligned} & \text { APIQMHTIKOइ } \\ & M E \Sigma O \Sigma \end{aligned}$ | 4，24 | 3，90 | 4，33 | 4，17 | 4，14 | 3，68 | 3，86 | 3，57 |
| TYПIKH AПOKAIEH | 0，966 | 1，060 | 0，850 | 0，972 | 0，973 | 1，135 | 1，079 | 1，208 |
| ФY $\mathbf{~ O}$ |  |  |  |  |  |  |  |  |
| AN $\triangle$ PA $\Sigma$ | 4，32 | 4，05 | 4，43 | 4，24 | 4，28 | 3，80 | 3，88 | 3，55 |
| ГYNAIKA | 4，19 | 3，80 | 4，25 | 4，11 | 4，04 | 3，60 | 3，85 | 3，59 |
| T Ratio | 0，986 | 1，680 | 1，539 | 0，928 | 1，807 | 1，206 | 0，187 | 0，256 |
| ェHMANTIKOTHTA | 0，467 | 0，325 | 0，189 | 0，478 | 0，351 | 0，943 | 0，285 | 0，840 |
| AGE |  |  |  |  |  |  |  |  |
| 18－35 | 4，06 | 3，72 | 4，25 | 4，07 | 4，02 | 3，73 | 3，91 | 3，58 |
| 36－50 | 4，53 | 4，12 | 4，44 | 4，38 | 4，38 | 3，74 | 3，91 | 3，68 |
| $50 \mathrm{KAI} \mathrm{AN} \Omega$ | 4，42 | 4，32 | 4，42 | 4，05 | 4，16 | 3，16 | 3，37 | 3，11 |
| F Ratio | 5，693 | 4，812 | 1，189 | 2，350 | 3，086 | 2，270 | 2，176 | 1，707 |
| 2HMANTIKOTHTA | 0，004 | 0，009 | 0，307 | 0，098 | 0，048 | 0，106 | 0，116 | 0，184 |
| ЕПIПE <br> EKПAIAEYEHE |  |  |  |  |  |  |  |  |
| ПР®ТОВАЄМIA | 4，40 | 4，40 | 4，50 | 4，70 | 4，30 | 3，90 | 4，20 | 4，30 |
| $\triangle$ EYTEPOBA＠MIA | 4，22 | 3，83 | 4，28 | 4，20 | 3，96 | 3，72 | 3，97 | 3，64 |
| TPITOBA＠MIA | 4，24 | 3，91 | 4，35 | 4，09 | 4，27 | 3，64 | 3，74 | 3，45 |
| F Ratio | 0，147 | 1，310 | 0，361 | 1，949 | 2，870 | 0，318 | 1，597 | 2，560 |
| $\Sigma$ LMANTIKOTHTA | 0，863 | 0，272 | 0，697 | 0，145 | 0，059 | 0，728 | 0，205 | 0，080 |



















































 елілоүе́ц тоис.

## 


 о七отоирıбцо́ $\sigma \tau \eta \nu \pi \varepsilon \rho เ ๐ \chi \eta ́$.














 E $\lambda \lambda \alpha \dot{\alpha} \delta \alpha$.

## 





|  | $\Delta \eta \mu \iota о v \rho \gamma i ́ \alpha \mu о$ с́́ $\boldsymbol{\alpha}$ с oเvotovpıб $\mu$ ov́ $\alpha \pi$ ó $\tau \eta v$ $\pi \alpha \rho \alpha \gamma \omega \gamma \eta \dot{\eta} \mu \varepsilon ́ \chi \rho!\tau \eta \nu$ $\varepsilon \mu \varphi \iota \alpha ́ \lambda \omega \sigma \eta$ |  оเvotovpıбนои́ $\mu \varepsilon$ $\pi \alpha \rho о \chi \eta ์ ~ \tau 0 v \rho เ \sigma \tau เ \kappa ต ́ v ~$ vтๆрєбเต́v |
| :---: | :---: | :---: |
| API@MHTIKOE MELOE | 2,66 | 2,62 |
| TYПIKH АПОКАILH | 0,102 | 0,108 |
| TY 10 |  |  |
| ANDPAE | 2,48 | 2,32 |
| ГYNAIKA | 2,78 | 2,82 |
| T Ratio | -1,414 | -2,330 |
| EHMANTIKOTHTA | 0,352 | 0,528 |
| HAIKIA |  |  |
| 18-35 | 2,78 | 2,74 |
| 36-50 | 2,43 | 2,48 |
| $50 \mathrm{KAI} \mathrm{AN} \Omega$ | 2,42 | 2,08 |
| F Ratio | 1,439 | 1,682 |
| EHMANTIKOTHTA | 0,241 | 0,190 |
| EПIПEDO EKПAIDEYटHE |  |  |
| ПР $\Omega$ TOBA ${ }^{\text {M MIA }}$ | 2,00 | 1,86 |
| $\triangle$ EYTEPOBA@MIA | 2,84 | 2,60 |
| TPITOBA@MIA | 2,57 | 2,70 |
| F Ratio | 1,897 | 0,154 |
| EHMANTIKOTHTA | 1,325 | 0,269 |








































### 4.15 Evסєıкvvó $\mu \varepsilon v \varepsilon \varsigma ~ \pi \varepsilon \rho ı \chi \varepsilon ́ \varsigma ~ \delta \eta \mu ı 0 v \rho \gamma i ́ \alpha \varsigma ~ \mu о v \alpha ́ \delta \omega v ~ o ı v o \tau o v \rho ı \sigma \mu о v ́ . ~$





























|  | $\frac{4}{2}$ | $\sum_{i}^{0}$ | $\begin{aligned} & \frac{\pi}{2} \\ & 0 \\ & \frac{6}{4} \\ & \frac{4}{4} \end{aligned}$ |  |  |  | $\begin{aligned} & 0 \\ & \frac{8}{4} \\ & \frac{1}{4} \\ & \frac{1}{4} \end{aligned}$ |  |  | $\frac{\pi}{k}$ |  | $\begin{aligned} & 0 \\ & \frac{0}{1} \\ & \frac{1}{0} \end{aligned}$ | $\frac{2}{5}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| ФYAO |  |  |  |  |  |  |  |  |  |  |  |  |  |
| ANDPAE | 2 | 1 | 26 | 31 | 2 | 8 | 13 | 29 | 7 | 10 | 6 | 9 | 1 |
| ГYNAIKA | 1 | 2 | 34 | 33 | 5 | 14 | 15 | 28 | 10 | 17 | 2 | 16 | 3 |
| HAIKIA |  |  |  |  |  |  |  |  |  |  |  |  |  |
| 18-35 | 1 | 2 | 38 | 32 | 6 | 14 | 14 | 29 | 9 | 14 | 4 | 19 | 3 |
| 36-50 | 2 | 1 | 17 | 27 | 1 | 6 | 12 | 24 | 3 | 11 | 3 | 4 | 1 |
| $50 \mathrm{KAI} \mathrm{AN} \Omega$ | - | - | 5 | 5 | - | 2 | 2 | 4 | 5 | 2 | 1 | 2 | - |
| $\begin{aligned} & \hline \text { EПIПE } \triangle O \\ & \text { EKПAIAEYГHГ } \end{aligned}$ |  |  |  |  |  |  |  |  |  |  |  |  |  |
| ПРЛТОВАЄМIA | - | - | 2 | 1 | - | 1 | - | 3 | 4 | 8 | 1 | 1 | - |
| $\triangle$ EYTEPOBA@MIA | 1 | 1 | 36 | 31 | 5 | 10 | 10 | 25 | 4 | 19 | 3 | 9 | 2 |
| TPITOBA@MIA | 2 | 2 | 22 | 32 | 2 | 11 | 18 | 29 | 9 | 27 | 4 | 15 | 2 |










## 


 $\sigma \tau \eta \nu \pi \varepsilon \rho \ldots \chi \eta$ ๆ.












### 4.17 Evסєıкvvó $\mu \varepsilon v \varepsilon \varsigma ~ \pi \varepsilon \rho ı \chi \varepsilon ́ \varsigma ~ \gamma ı \alpha \tau \eta ~ \delta \eta \mu ı v \rho \gamma i ́ \alpha \mu о v \alpha ́ \delta \omega v$ аүротоvрıбนои́





















 $\delta \iota, \varphi о \rho \varepsilon \tau \iota к о ́$.

|  | $\frac{4}{2}$ | $\sum_{i}^{O}$ | $\begin{aligned} & T \\ & E \\ & E \\ & B \end{aligned}$ |  |  | $\begin{aligned} & 0 \\ & \frac{0}{4} \\ & 4 \\ & \frac{1}{4} \\ & \frac{1}{n} \end{aligned}$ | $\begin{aligned} & \frac{1}{k} \\ & 0 \\ & \frac{0}{k} \\ & \frac{4}{4} \end{aligned}$ | $\begin{aligned} & \text { W } \\ & 0 \\ & \text { W } \\ & \text { W } \end{aligned}$ |  |  | $\begin{aligned} & \text { W } \\ & \text { O } \\ & 2 \\ & 2 \\ & \hline \end{aligned}$ | $\begin{aligned} & \text { N } \\ & \text { N } \\ & \text { K } \\ & \hline \end{aligned}$ |  | $\frac{4}{4}$ | $\frac{2}{2}$ | $\begin{aligned} & 0 \\ & \underset{a}{z} \\ & \hat{0} \end{aligned}$ | $\frac{2}{5}$ | $\sum_{E}^{T}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| ФYAO |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| ANDPAL | 2 | 1 | 27 | 5 | 11 | 22 | 37 | 8 | 7 | 8 | 11 | 19 | 3 | 3 | 9 | 7 | 1 | 3 |
| ГYNAIKA | 4 | 4 | 19 | 2 | 18 | 27 | 43 | 5 | 3 | 8 | 13 | 22 | 2 | 3 | 15 | 10 | 1 | 3 |
| HAIKIA |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| 18-35 | 1 | 1 | 22 | 3 | 15 | 27 | 42 | 8 | 5 | 13 | 13 | 21 | 1 | 2 | 13 | 7 | - | 3 |
| 36-50 | 4 | 3 | 23 | 3 | 14 | 19 | 30 | 4 | 4 | 2 | 11 | 17 | 3 | 3 | 11 | 6 | 2 | 3 |
| 50 KAI AN ת | 1 | 1 | 1 | 1 | - | 3 | 8 | 1 | 1 | 1 | - | 3 | 1 | 1 | - | 4 | - | - |
| EПIПE <br> EKПO |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| ПР $\Omega$ TOBA@MIA | 1 | 2 | - | - | - | 2 | 2 | 1 | - | - | - | 1 | - | - | - | - | - | - |
| $\triangle$ EYTEPOBA@MIA | 2 | 3 | 19 | 4 | 11 | 20 | 36 | 8 | 5 | 5 | 12 | 22 | 2 | 2 | 8 | 11 | 1 | 4 |
| TPITOBA@MIA | 3 | 5 | 27 | 3 | 18 | 27 | 42 | 4 | 5 | 8 | 12 | 18 | 3 | 4 | 16 | 6 | 1 | 2 |



 $\pi \rho о \tau i ́ \mu \eta \sigma \eta$ бто $\Sigma \varepsilon \lambda \alpha ́ \kappa \alpha v o ~ \mu \varepsilon$ то 21,2 \% va то $\pi \rho о \tau \varepsilon$ ível $\omega \varsigma ~ \mu i ́ \alpha ~ \kappa \alpha \tau \alpha ́ \lambda \lambda \eta \eta \lambda \eta$







## 



















|  | $\begin{array}{r} 20-30 \\ \varepsilon \tau \omega ́ v \\ \hline \end{array}$ | $\begin{array}{r} 31-40 \\ \varepsilon \tau \omega ́ v \\ \hline \end{array}$ | $\begin{array}{r} 41-50 \\ \varepsilon \tau \omega ́ v \\ \hline \end{array}$ | $\begin{array}{r} 51 \kappa \alpha t \\ \dot{\alpha} v \omega \\ \hline \end{array}$ | EYNOAO |
| :---: | :---: | :---: | :---: | :---: | :---: |
| TY ${ }^{\text {a }}$ |  |  |  |  |  |
| ANDPAE | 18 | 46 | 19 | 5 | 88 |
| $\Gamma$ YNAIKA | 22 | 64 | 34 | 4 | 124 |
| HAIKIA |  |  |  |  |  |
| 18-35 | 31 | 60 | 39 | 5 | 127 |
| 36-50 | 6 | 39 | 19 | 2 | 66 |
| $50 \mathrm{KAI} \mathrm{AN} \Omega$ | 3 | 11 | 3 | 2 | 19 |
| EПIПEDOEKПAIDEYटHट |  |  |  |  |  |
| ПРЛТОВАЄМIA | 1 | 5 | 4 | 0 | 10 |
| $\triangle$ EYTEPOBA@MIA | 19 | 50 | 18 | 2 | 89 |
| TPITOBA@MIA | 20 | 55 | 31 | 7 | 113 |






























## 














 $\alpha \alpha^{\alpha} \omega$.


|  | $\begin{array}{r} 20-30 \\ \varepsilon \tau \omega ́ v \end{array}$ | $\begin{array}{r} \hline 31-40 \\ \text { عtढ́v } \end{array}$ | $\begin{array}{r} \hline 41-50 \\ \varepsilon \tau \omega ́ v \end{array}$ | $\begin{array}{r} 51 \kappa \alpha \iota \\ \dot{\alpha} v \omega \\ \hline \end{array}$ | EYNOAO |
| :---: | :---: | :---: | :---: | :---: | :---: |
| ФY ${ }^{\text {SO }}$ |  |  |  |  |  |
| ANDPA乏 | 14 | 53 | 18 | 3 | 88 |
| ГYNAIKA | 18 | 66 | 32 | 8 | 124 |
| HAIKIA |  |  |  |  |  |
| 18-35 | 19 | 70 | 29 | 9 | 127 |
| 36-50 | 11 | 39 | 15 | 1 | 66 |
| $50 \mathrm{KAI} \mathrm{AN} \Omega$ | 2 | 10 | 6 | 1 | 19 |
| $\begin{aligned} & \text { EПIПE } \triangle O \\ & \text { EKПAIDEYГHГ } \end{aligned}$ |  |  |  |  |  |
| ПРЛТОВА@МIA | 2 | 7 | 0 | 1 | 10 |
| $\triangle$ EYTEPOBA@MIA | 14 | 50 | 20 | 5 | 89 |
| TPITOBA@MIA | 16 | 62 | 30 | 5 | 113 |





 бuvoдıкó $\pi \alpha ́ \lambda \imath ~ \pi о \sigma о \sigma \tau o ́ ~ \tau \omega v ~ \delta u ́ o ~ \varphi u ́ \lambda \omega v ~ \tau \eta \zeta ~ \tau \alpha ́ \xi \eta \zeta ~ \tau о v ~ 30,4 \% ~ к \alpha ı ~ \tau \varepsilon \lambda \varepsilon v \tau \alpha i ́ o l ~ o l ~ 51 ~ \kappa \alpha ı ~$


## 


 $\pi \rho о \tau \varepsilon \rho \alpha$ ı́ $\eta \tau \alpha \varsigma$.


 тоирıбцои́ $\sigma \tau \eta \nu \pi \varepsilon \rho ю \chi \eta ́ . ~$

Пívaка¢ 4.20 Кри́teऽ тоvрібтєऽ

|  | Пршт/бая <br>  | $\Delta \varepsilon v \tau / \sigma a \varsigma$ $\Sigma \eta \mu \alpha \sigma i ́ \alpha$ | Tрı $\tau / \sigma \alpha \varsigma$ $\Sigma \eta \mu \alpha \sigma i ́ \alpha \varsigma$ | Tعт/бac $\Sigma \eta \mu \alpha \sigma i \alpha<$ | IYNOA 0 |
| :---: | :---: | :---: | :---: | :---: | :---: |
| ФY ${ }^{\text {OO }}$ |  |  |  |  |  |
| AN $\triangle$ PA | 17 | 15 | 17 | 39 | 88 |
| ГYNAIKA | 29 | 19 | 35 | 41 | 124 |
| HAIKIA |  |  |  |  |  |
| 18-35 | 29 | 22 | 29 | 47 | 127 |
| 36-50 | 14 | 11 | 14 | 27 | 66 |
| 50 KAI AN , | 3 | 1 | 9 | 6 | 19 |
| $\begin{array}{\|l\|} \hline \text { EПIПE } \triangle O \\ \text { EKПAIDEYГHГ } \end{array}$ |  |  |  |  |  |
| ПРЛТОВАЄМIA | 2 | 4 | 2 | 2 | 10 |
| $\triangle$ EYTEPOBA@MIA | 19 | 10 | 18 | 42 | 89 |
| TPITOBA@MIA | 25 | 20 | 32 | 36 | 113 |


















|  | Пршт/баऽ <br> $\Sigma \eta \mu \alpha \sigma i ́ \alpha \varsigma$ | $\Delta \varepsilon v \tau / \sigma \alpha \varsigma$ इпи | Tрı $\tau / \sigma \alpha$ $\Sigma \eta \mu \alpha \sigma \dot{\alpha}$ | Tev/ $\sigma \alpha c$ $\Sigma \eta \mu \alpha \sigma i \alpha g$ | EYNOAO |
| :---: | :---: | :---: | :---: | :---: | :---: |
| ФY 40 |  |  |  |  |  |
| AN $\triangle$ PA | 24 | 32 | 31 | 1 | 88 |
| $\Gamma$ YNAIKA | 38 | 58 | 26 | 2 | 124 |
| HAIKIA |  |  |  |  |  |
| 18-35 | 36 | 52 | 36 | 3 | 127 |
| 36-50 | 20 | 29 | 17 | 0 | 66 |
| 50 KAI ANS | 6 | 9 | 4 | 0 | 19 |
| $\begin{aligned} & \text { ЕПIПЕДO } \\ & \text { ЕKПАIДEYГHГ } \end{aligned}$ |  |  |  |  |  |
| ПРЛТОВА@МIA | 4 | 3 | 3 | 0 | 10 |
| $\triangle$ EYTEPOBA@MIA | 22 | 37 | 27 | 3 | 89 |
| TPITOBA@MIA | 36 | 50 | 27 | 0 | 113 |




 то 47,3 аvто́v




 $\pi \tau \cup \chi 10 \cup ์ \chi \omega v$.





Пívaка¢ 4.20ү Evрютаіоı тоvрїтея

|  | Пршт/баऽ इұ $\eta \alpha \sigma \dot{\prime} \alpha \varsigma$ | $\Delta \varepsilon v \tau / \sigma \alpha \varsigma$ $\Sigma \eta \mu \alpha \sigma i ́ \alpha s$ | Tрıг/б人c $\Sigma \eta \mu \alpha \sigma i ́ \alpha c$ | Tet/ $\sigma \alpha \varsigma$ $\Sigma \eta \mu \alpha \sigma i \alpha c$ | EYNOAO |
| :---: | :---: | :---: | :---: | :---: | :---: |
| ФY ${ }^{\text {SO }}$ |  |  |  |  |  |
| AN $\triangle$ PAE | 42 | 21 | 23 | 2 | 88 |
| ГYNAIKA | 53 | 28 | 42 | 1 | 124 |
| HAIKIA |  |  |  |  |  |
| 18-35 | 56 | 29 | 40 | 2 | 127 |
| 36-50 | 31 | 14 | 21 | 0 | 66 |
| 50 KAI AN , | 8 | 6 | 4 | 1 | 19 |
|  |  |  |  |  |  |
| ПРЗТОВАЄМIA | 3 | 3 | 4 | 0 | 10 |
| $\triangle$ EYTEPOBA@MIA | 43 | 21 | 22 | 3 | 89 |
| TPITOBA@MIA | 49 | 25 | 39 | 0 | 113 |








 vıо $\varepsilon \tau \tau \circ v ์ v \tau \eta \nu i \delta i \alpha$ Ө́́бๆ.


 $\alpha \pi$ ó $\tau \alpha \alpha \sigma \eta$.


|  | Пршт/баऽ $\Sigma \eta \mu \alpha \sigma i ́ \alpha \varsigma$ | $\Delta \varepsilon v \tau / \sigma \alpha \varsigma$ $\Sigma \eta \mu \alpha \sigma i ́ \alpha s$ | Tрı $\tau / \sigma \alpha$ $\Sigma \eta \mu \alpha \sigma$ ías | T $\varepsilon \tau / \sigma \alpha \varsigma$ $\Sigma \eta \mu \alpha \sigma i \alpha c$ | EYNOAO |
| :---: | :---: | :---: | :---: | :---: | :---: |
| ФY $\mathbf{S O}_{0}$ |  |  |  |  |  |
| ANDPAE | 5 | 20 | 17 | 46 | 88 |
| ГYNAIKA | 4 | 19 | 21 | 80 | 124 |
| HAIKIA |  |  |  |  |  |
| 18-35 | 6 | 24 | 22 | 75 | 127 |
| 36-50 | 1 | 12 | 14 | 39 | 66 |
| 50 KAI AN , | 2 | 3 | 2 | 12 | 19 |
| $\begin{aligned} & \hline \text { EПIПE } \triangle O \\ & \text { EKПAIDEYГHГ } \end{aligned}$ |  |  |  |  |  |
| ПРЛТОВА@МIA | 1 | 0 | 1 | 8 | 10 |
| $\triangle$ EYTEPOBA@MIA | 5 | 21 | 22 | 41 | 89 |
| TPITOBA@MIA | 3 | 18 | 15 |  | 113 |







 $\varepsilon \kappa \pi \alpha i ́ \delta \varepsilon u \sigma \eta \varsigma ~ \alpha \varphi о и ́ ~ \tau о ~ 80 \% ~ \theta \varepsilon \omega \rho \varepsilon i ́ ~ \pi \rho о \varphi \alpha v \omega ́ \varsigma ~ \tau \eta ~ \mu \varepsilon \gamma \alpha ́ \lambda \eta ~ \alpha \pi o ́ \sigma \tau \alpha \sigma \eta ~ \varepsilon گ ̌ ́ \sigma o v ~ \mu \varepsilon \gamma \alpha ́ \lambda о ~$




## КЕФАААIO 5

## ГҮМПЕРАГМАТА- ПРОТАГЕIธ

### 5.1 Eıбаү $\omega \gamma \eta$ ท́




 єо $о \dot{\tau \varepsilon \rho \eta \varsigma ~ \pi \varepsilon \rho ı \chi \eta ́ \varsigma . ~}$







 $\beta \alpha \theta \mu i ́ \delta \omega v$.

##  $\boldsymbol{\tau} \varsigma \boldsymbol{\pi \varepsilon \rho ⿺ 夂 \chi} \boldsymbol{\eta}$ ¢.






 $\tau \omega v \pi 0 \lambda \tau \tau \dot{v}$.




















##  

























##  


















##  oเvoтovpıбนоv́ $\sigma \tau \eta \pi \varepsilon \rho เ o \chi \eta ́$




 o七voтovpıб $\mu$ ои́.





 $\tau 0 \cup \varsigma \kappa i v \eta \sigma \eta \pi$ т $\lambda \lambda \alpha \dot{\alpha} \chi \omega \rho \neq \alpha ́ \alpha v \alpha ́ \tau \eta \nu$ E $\lambda \lambda \alpha \dot{\alpha} \delta \alpha$.



 $\kappa \alpha \imath \tau \eta \nu$ онор甲ı́́ тои૬.











 Үлєр $\alpha \tau \lambda \alpha v \tau 1 к о$ тоирі́бтєऽ

## 






То $\pi \alpha \rho \theta \varepsilon ́ v o ~ \varepsilon ́ \delta \alpha, \varphi o \varsigma ~ \pi о v ~ \varepsilon \pi ı к \rho \alpha \tau \varepsilon i ́ ~ \pi \rho о \varsigma ~ \alpha v \tau \eta ́ ~ \tau \eta \nu ~ к \alpha \tau \varepsilon v ́ \theta u v o \eta ~ \delta \varepsilon v ~ \mu \pi о \rho \varepsilon i ́ ~ v \alpha ~ \theta \varepsilon \omega \rho \eta \theta \varepsilon i ́ ~$


 $\pi \rho о \sigma \varepsilon ́ \gamma \gamma \imath \emptyset \eta ~ \alpha \gamma \rho о \tau о ч \rho ı \tau \tau \kappa о ́$.






 $\varepsilon \pi \chi \chi \varepsilon \downharpoonright \eta \dot{\sigma} \omega \omega \mathrm{v}$.





 $\alpha \sigma \tau 1 \kappa \alpha ́ \kappa \varepsilon ́ v \tau \rho \alpha$.






























 $\pi \rho о \kappa \cup ́ \psi o v v \alpha v \alpha \check{\eta} \tau \dot{\omega} v \tau \alpha \varsigma \tau \eta v \pi \alpha \rho \alpha \pi \varepsilon ́ \rho \alpha \chi \rho \eta \dot{\eta} \eta \tau \eta \varsigma$.



 $\mu \varepsilon \delta \iota \varepsilon \theta v \varepsilon i ́ ̧ ~ \iota \tau \tau о \sigma \varepsilon \lambda i \delta \varepsilon \varsigma ~ \alpha \gamma \rho о \tau о \cup \rho \iota \sigma \mu о v ́$.

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 $\delta 1 \alpha \delta \iota \kappa \alpha \sigma i \alpha,, \tau \alpha$ ко́бтๆ $\pi \alpha \rho \alpha \gamma \omega \gamma \eta ́ \varsigma \kappa \alpha \iota \tau \iota \varsigma \pi \rho о о \pi \tau \tau \kappa \varepsilon ́ \varsigma$.













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 ó $\chi \imath \mu o ́ v o ~ \mu i ́ \alpha ~ \pi \rho о ́ к \lambda \eta \sigma \eta ~ \alpha \lambda \lambda \alpha ́ \alpha ~ \pi о \lambda v ́ ~ \pi \varepsilon \rho ı \sigma \sigma o ́ \tau \varepsilon \rho \eta ~ \mu i ́ \alpha ~ \alpha v \tau о ́ \mu \alpha \tau \eta ~ к і ́ v \eta \sigma \eta ~ \mu \alpha ́ \rho к \varepsilon \tau ı v \gamma к ~ \mu \varepsilon ~$









 Еگ̧íov $\mu \pi о \rho \varepsilon i ́ v \alpha \varepsilon \xi \varepsilon \lambda \lambda \chi \theta \varepsilon i ́ ~ \eta ~ \gamma \varepsilon v ́ \sigma \eta ~ o ́ \lambda \omega v ~ \alpha \nu \tau \omega ́ v ~ \kappa \alpha ı ~ \sigma \tau \eta \nu ~ \pi \alpha, \rho \alpha \gamma \omega \gamma \eta ́, ~ \alpha \kappa o ́ \mu \eta ~ \pi ю ~ \pi \varepsilon ́ \rho \alpha, ~$








## 5.8 Елí̉oүog


















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## ПАРАРТНМА

## ЕРЛТНМАТОАОГІО

## IENIKA ETOIXEIA

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ONOMATEIISNYMO： $\qquad$
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## $\triangle$ НМОГРАФІКА $\Sigma$ TOIXEIA

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HAIKIA: 18-35 $\quad$ 36-50 $\square$ 50 KAI AN $\Omega \quad \square$

ЕПIПЕДО ЕКПАІДЕУГНГ: ПРЛТОВА@МIА $\triangle$ EYTEPOBA ${ }^{\text {MIA }}$ TPITOBA@MIA


